# **Mass Transfer in Nitric Acid Absorption**

The mechanism and rate limitations in aqueous nitrogen oxides absorption are reviewed and data available on chemical kinetics for performance predictions are discussed. Application of a rate relationship to characterize interphase mass transfer for the primary reactant  $N_2O_4$  is shown, with mass transfer coefficients derived from plant-scale data. Correlations for these coefficients as functions of acid strength and temperature for both bubble cap and sieve plate designs are presented.

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#### Introduction

The aqueous absorption of nitrogen oxides to produce nitric acid is an operation common throughout the chemical industry. It is an essential step for nitric acid manufacture in ammonia oxidation plants and is used in many other processes where offgas abatement and nitric acid recovery are required. The chemistry, although extremely complex, has been treated extensively in the literature. Gas-liquid mass transfer of the primary reactants, however, is less well understood. In particular, data for prediction of plant-scale performance has been lacking.

In the past, it has been customary to cover the mass transfer effect in performance predictions by use of a plate efficiency. The plate efficiency has been defined as the percentage to which actual absorption of nitrogen oxides approaches equilibrium absorption. Use of a rate relationship is an approach that can provide greater accuracy both for design and as a guide in operations.

This study was undertaken to show the application of a rate expression for mass transfer of the primary reactant,  $N_2O_4$ . Rate constants for mass transfer have been extracted from plant data for bubble cap and sieve type plates. Correlations for these data as functions of acid strength and temperature have been developed for use in performance calculations.

## Mechanism

The aqueous absorption of nitrogen oxides to produce nitric acid is known to be highly complex, involving reactions in both gas and liquid phases and mass transfer interchange between phases of several species (Chilton, 1968; Sherwood et al., 1975). The primary route involves N<sub>2</sub>O<sub>4</sub> as the liquid phase reactant. Its formation in the gas phase, mass transfer and reaction in the liquid occur in the following sequence:

1. 
$$2NO_{(g)} + O_{2(g)} = 2 NO_{2(g)}$$
  
2.  $2NO_{2(g)} = N_2O_{4(g)}$ 

3. 
$$N_2O_{4(g)} = N_2O_{4(I)}$$
  
4.  $N_2O_{4(I)} + H_2O_{(I)} = HNO_{3(I)} + HNO_{2(I)}$   
5.  $3HNO_{2(I)} = HNO_{3(I)} + H_2O_{(I)} + 2NO_{(g)}$ 

A second route involves the liquid phase reactant N<sub>2</sub>O<sub>3</sub>:

6. 
$$NO_{(g)} + NO_{2(g)} = N_2O_{3(g)}$$
  
7.  $N_2O_{3(g)} = N_2O_{3(l)}$   
8.  $N_2O_{3(l)} + H_2O_{(l)} = 2HNO_{2(l)}$ 

with subsequent decomposition of HNO<sub>2</sub> via reaction 5 or, possibly, with liquid phase oxidation of HNO<sub>2</sub>:

9. 
$$2HNO_{2(l)} + O_{2(l)} \rightleftharpoons 2HNO_{3(l)}$$

The component NO<sub>2</sub> can also be absorbed and react directly in the liquid phase:

10. 
$$NO_{2(g)} = NO_{2(l)}$$
  
11.  $2NO_{2(l)} + H_2O_{(l)} = HNO_{3(l)} + HNO_{2(l)}$ 

and can produce nitric acid in the gas phase:

12. 
$$3NO_{2(g)} + H_2O_{(g)} = 2HNO_{3(g)} + NO_{(g)}$$
  
13.  $HNO_{3(g)} = HNO_{3(l)}$ 

The  $NO_2$  routes—steps 10 and 11 and steps 12 and 13—are slow relative to those involving the reactants  $N_2O_4$  and  $N_2O_3$ , and can usually be neglected in evaluating nitric acid absorption performance.

#### **Chemical Kinetics**

The kinetics and equilibrium for the step 1 NO oxidation have been studied by Bodenstein (1918, 1922). The rate expression follows:

$$R(1) = k1 \left( p_{NO}^2 p_{O_2} - \frac{p_{NO_2}}{K1} \right), \text{ kPa/s}$$
 (1)

where

$$k1 = \exp(1,468/T - 10.9043), \text{ kPa}^{-2} \cdot \text{s}^{-1}$$

$$K1 = \exp(-8.002 + 1.75 \ln T - 0.000217T - 2.496/T), \text{ kPa}^{-2}$$

 $p_{NO}, p_{NO_2}, p_{O_2} = \text{partial pressure, kPa}$ 

T = temperature, K

In the temperature regions normally involved in aqueous absorption, the reverse reaction term can be neglected.

The step 2 gas phase dimerization of NO<sub>2</sub> equilibrates rapidly. The equilibrium for this effect has also been reported by Bodenstein (1922).

$$K2 = \frac{p_{N_2O_4}}{p_{NO_4}^2}, kPa^{-1}$$
 (2)

where

$$K2 = \exp(6.893/T - 25.865), \text{ kPa}^{-1}$$
  
 $P_{N_2O_4} = \text{partial pressure, kPa}$ 

The liquid phase reaction steps 4 and 5 are often treated in the combined form

$$4.5. \frac{3}{2} N_2 O_{4(I)} + H_2 O_{(I)} = 2HNO_{3(I)} + NO_{(g)}$$

Several authors have reported equilibria for this combined reaction effect (Burdick and Freed, 1921; Chambers and Sherwood, 1937; Denbigh and Prince, 1947; Epshstein, 1939).

$$K4, 5 = \frac{p_{NO}}{p_{NO_3}^3} \cdot \frac{a_{HNO_3}^2}{a_{H_2O}}, \text{kmol/m}^3 \cdot \text{kPa}^2$$
 (3)

where

$$a_{\text{HNO}_3}$$
,  $a_{\text{H}_2\text{O}} = \text{activities}$ , kmol/m<sup>3</sup>

The gas phase NO<sub>2</sub> partial pressure is used as a measure of liquid phase N<sub>2</sub>O<sub>4</sub> concentration. Further, it is customary to report the equilibrium ratio K4,  $5a = p_{NO}/p_{NO_2}^3$  as a function of nitric acid concentration and temperature.

Carberry (1959) has shown that, within experimental error, these data can be combined with the step 2 equilibrium to eliminate the temperature dependency:

$$K0 = \frac{K4, 5a}{K2^{3/2}} = \frac{p_{\text{NO}}}{p_{\text{NO}}^{1.5}}, \text{kPa}^{-1/2}$$
 (4)

where

$$K0 = \exp(23.39 - 134.98 W_{\text{HNO}_3} + 434.69 W_{\text{HNO}_3}^2$$
$$- 789.84 W_{\text{HNO}_3}^3 + 675.65 W_{\text{HNO}_3}^4$$
$$- 221.89 W_{\text{HNO}_3}^5), \text{ kPa}^{-1/2}$$

 $W_{\text{HNO}}$  = weight fraction

The step 6 gas phase equilibrium for  $N_2O_3$  formation is reported by Hisatsune (1961):

$$K6 = \frac{p_{\text{N}_2\text{O}_3}}{p_{\text{NO}}p_{\text{NO}_2}}, \text{kPa}^{-1}$$
 (5)

where

$$K6 = \exp(4,869/T - 21.61), \text{ kPa}^{-1}$$

The step 8 liquid phase equilibrium can be derived from the work of Theobald (1968) as a function of nitric acid strength and temperature,

$$K8 = \frac{W_{\text{HNO}_2}^2}{p_{\text{NO}} p_{\text{NO}_2} K6}, \text{kPa}^{-1}$$
 (6)

where

$$K8 = \exp(8.378/T - 4.68 W_{\text{HNO}_3} - 38.81)/K6, \text{ kP}_{\text{a}}^{-1}$$
  
 $W_{\text{HNO}_3} = \text{weight fraction}$ 

Kinetic data on the possible liquid phase oxidation of HNO<sub>2</sub> are unavailable.

## Mass Transfer

The step 1 gas phase oxidation of NO has been identified as a major rate limitation in the overall absorption mechanism (Chilton, 1968; Sherwood et al., 1975). The other chemical steps in the primary  $N_2O_4$  route occur rapidly and can be assumed to be at equilibrium. Mass transfer of  $N_2O_4$ —step 3 in the absorption sequence—imposes a further rate limitation, however.

In the past, it has been customary to use a plate efficiency E to characterize this mass transfer effect. E has been defined as the percentage approach of actual to equilibrium absorption of  $NO_2$  equivalent, where

$$NO_{2_{equiv}} = NO_2 + 2N_2O_4 + N_2O_3 \tag{7}$$

Andrew and Hanson (1961) report the calculation of plate efficiency based on a synthesis of small-scale data. They include the possible contributions of direct  $NO_2$  absorption, gas phase  $NO_2$  reaction, and formation of nitric acid mist. They conclude that direct  $NO_2$  absorption has a contribution to plate efficiency at very low  $NO_x$  concentrations. Their data are limited to very dilute acid strengths, however, and are not quantitatively useful in evaluating overall nitric acid absorption performance.

A relationship for mass transfer of  $N_2O_4$  can be derived based on either film or penetration theory. The step 4, 5 hydration of  $N_2O_4$  occurs in large excess  $H_2O$  and can be considered pseudofirst-order-dependent on  $N_2O_4$  concentration. An analytical solution based on film theory (Lewis and Whitman, 1924) was

originally developed by Hatta (1928) for first-order irreversible reaction. Danckwerts (1970) reports the same for the surface renewal approaches, both the original Higbie (1935) penetration theory and the modification allowing for a distribution of contacting times (Danckwerts, 1951). Extensions to first-order reversible reaction are also reported for the case where diffusivities of reactant and product are equal (Danckwerts and Kennedy, 1954).

All these analytical solutions reduce to the following rate form for  $N_2O_4$  absorption, where  $N_2O_4$  reaction is fast and complete in the liquid film at the phase interface,

$$R(3) = H_{N_2O_4} \sqrt{k4, 5D_{N_2O_4}} A \left[ p_{N_2O_4} - \left( \frac{p_{NO}}{K0} \right)^{2/3} \right], \text{ kmol/s} \quad (8)$$

where

 $H_{N_2O_4}$  = Henry's law coefficient, kmol/m<sup>3</sup> · kPa

 $k4, 5 = pseudofirst-order rate constant, s^{-1}$ 

 $D_{N_2O_4}$  = effective diffusivity, m<sup>2</sup>/s

A = interfacial area, m<sup>2</sup>

The following rate form for N<sub>2</sub>O<sub>3</sub> absorption can also be written:

$$R(7) = H_{N_2O_3} \sqrt{k8.5D_{N_2O_3}} A \left( p_{N_2O_3} - \frac{W_{HNO_2}^2}{K8} \right), \text{ kmol/s} \quad (9)$$

where

 $H_{\text{N}_2\text{O}_3}$  = Henry's law coefficient, kmol/m<sup>3</sup> · kPa

k8, 5 =pseudofirst-order rate constant, s<sup>-1</sup>

 $D_{\text{N},\text{O}_3} = \text{effective diffusivity, m}^2/\text{s}$ 

Several experimental measurements of  $H_{N_2O_4}$   $\sqrt{k4}$ ,  $5D_{N_2O_4}$  in dilute acid have been reported (Wendel and Pigford, 1958; Dekker et al., 1959; Kramers et al., 1961; Gerstacker, 1961; Corriveau, 1971; Kameoka, 1973), and one for  $H_{N_2O_3}$   $\sqrt{k8}$ ,  $5D_{N_2O_3}$  (Corriveau, 1971). More recent experimental measurements of  $H_{N_2O_4}$   $\sqrt{k4}$ ,  $5D_{N_2O_4}$  in strong nitric acid have also been reported (Lefers and van den Berg, 1982). These measurements were made in small-scale wetted-wall or wetted-sphere contactors and liquid jets. Contact times were kept short. Reactant nitrogen oxides feeds were diluted in nitrogen with no oxygen present. Gas-liquid interfaces were well defined, with liquid film mass transfer presumed to occur by molecular diffusion.

#### Results

In this study,  $H_{\rm N_2O_4}$   $\sqrt{k4,5}D_{\rm N_2O_4}$  factors have been extracted from plant data. These data are summarized in Table 1, along with the physical characteristics of the columns from which the data were obtained. Three data sets are shown for bubble cap plate units, and three for a sieve plate design.

The column performance simulation used in these calculations proceeds stepwise, plate to plate, from the bottom up to the top of a unit. Inputs include the gas feed rate and composition, the liquid effluent acid rate and composition, and the plate temperature profile. Both the aerated liquid holdup on each tray

and the gas in the spaces between trays are assumed to be completely back-mixed. Check computations show that any partial staging of either phase on individual trays does not, because of the large number of trays in a typical column, affect calculated concentration profiles significantly.

Equation 8, for R(3), along with K0 from Eq. 4 is used to calculate  $N_2O_4$  mass transfer for the first plate. An iterative calculation, using the Wegstein procedure (Franks, 1972), is then made with the component balances, adjusting R(3) for the exit  $p_{N_2O_4}$  and  $p_{NO}$  values. The test for closure is based on  $NO_{2_{equiv}}$  absorbed.

If desired, the calculation for  $N_2O_3$  absorption can be made concurrently using Eq. 9 for R(7) and Eq. 6 for K8. The  $N_2O_3$  absorption effect is small relative to  $N_2O_4$ , however, and can be omitted without appreciable error in most column simulations.

The gas rate and composition leaving the liquid phase on the plate and the acid rate and composition coming from the plate above are then available. The gas phase composition is next calculated using Eqs. 1 and 2, and Eq. 5 if  $N_2O_3$  absorption is followed. This also is an iterative balance using the Wegstein procedure to establish exit  $p_{NO}$ ,  $p_{NO_2}$ ,  $p_{N_2O_4}$ , and  $p_{N_2O_3}$  values, the test for closure being NO conversion.

These calculations are repeated plate by plate to establish composition profiles through a column. Where side stream feeds are introduced, the liquid phase balances are adjusted for nitric and water additions at those points. If necessary an adjustment is made to the acid effluent rate and the profiles recalculated to match pure water input to the top plate.

Trial-and-error adjustments to the  $N_2O_4$  H  $\sqrt{kD}$  coefficients in Eq. 8 have been made plate to plate for the six test cases detailed in Table 1. These adjustments were made to establish the best fits of calculated to measured plate acid strengths and exit gas  $NO_x$  concentrations.

In calculating the  $N_2O_4$  H  $\sqrt{kD}$  mass transfer coefficients, interfacial area values were obtained using the relationship reported by Andrew (1961):

$$A = 325 u_g^{1/2} S^{-1/6} \pi d^2/4, m^2$$
 (10)

where

 $u_z$  = superficial gas velocity, m/s

S = bubble cap slot or sieve hole submergence, m

d = column diameter, m

### Discussion

The mass transfer coefficients show a strong dependence on acid strength and temperature. Best-fit relationships for the two plate types follow:

Bubble Cap Plate

$$H_{N_2O_4} \sqrt{k4, 5D_{N_2O_4}} = \exp\left(-\frac{1,500}{T} - 4.3790\right)$$

$$-23.279 W_{HNO_3} + 130.42 W_{HNO_3}^2$$

$$-370.87 W_{HNO_3}^3 + 486.94 W_{HNO_3}^4$$

$$-236.54 W_{HNO_3}^5 + kPa \cdot s$$

$$R_4^2 = 0.862$$
(11)

Table 1a. Nitric Acid Absorption, Bubble Cap Column, 3.20 m dia.

Plate Spacing m on Plate Nos.		
0.330 1–7		
0.336 8-13		
0.346 14-15		
0.808 16-22		
0.799 23-27		
0.786 28-35		
Feed Gas, kmol/s		
NO	0.0000983	0.00223
NO <sub>2</sub>	0.0316	0.0284
$O_2$	0.0312	0.01208
$N_2$	0.385	0.346
Side Stream Acid, kg/s	0.277 (60.7% acid) on Pl. 10	0.280 (58.2% acid) on Pl. 10
Σ. Σ. Σ. Σ. Σ. Σ. Σ. Α. <b>Θ</b>	1.604 (42.8% acid) on Pl. 18	1.721 (38.8% acid) on Pl. 18
Pressure kPa	736	736
Nitric Acid Rate, kg/s (as 100% acid)	2.82	2.71

Plata	Plate Temp.		d, %	Exp. $H\sqrt{k4,5D}$	Temp.	Acie	d, %_	$\frac{\text{Exp.}}{H\sqrt{k4,5D}}$	
No.	°C	Meas.	Calc.	$\frac{11\sqrt{k^4}, 3D}{\text{kmol/m}^2 \cdot \text{kPa} \cdot \text{s}}$	°C	Meas.	Calc.	kmol/m² · kPa · s	
1	28	67.5	67.5	0.00000465	45	60.4	60.4	0.0000634	
2	20	64.4	66.5	465	39	58.2	59.5	634	
3	15		65.8	465	37		58.1	641	
4	12	61.3	65.0	465	35	55.7	56.5	648	
5	10		64.1	465	33		54.7	655	
6	9	61.1	63.1	465	32	52.1	52.8	662	
7	9		62.0	465	32	_	50.8	677	
8	11	50.8	60.7	465	32	48.0	48.9	691	
9	9		59.2	450	32		46.8	713	
10	9		57.6	450	32	44.4	45.0	761	
11	9		55.3	450	32	_	41.9	816	
12	9		53.4	450	32		40.1	889	
13	9	_	51.4	450	32		38.5	964	
14	9	52.2	49.1	458	32	29.9	36.9	0.00001060	
15	7		47.1	465	32	_	35.5	1204	
16	5	_	45.1	487	31		34.3	1301	
17	4		43.3	501	30		33.1	1445	
18	1		41.5	522	31		32.0	1590	
19	4	_	34.2	556	31	-	18.02	1806	
20	3	30.5	29.5	600	31	15.27	15.23	1975	
21	2		25.0	648	31	_	12.90	221	
22	1		21.0	718	31	_	10.92	246	
23	1	_	17.37	804	30		9.24	277	
24	1		14.55	915	30		7.71	311	
25	1	10.30	11.99	0.00001036	30	5.65	6.61	359	
26	1		9.75	1180	30		5.56	409	
27	4	7.60	7.82	1325	31	3.92	4.62	465	
28	1		6.30	1518	30	_	3.82	535	
29	2	_	4.87	1782	30	2.32	3.07	619	
30	2	_	3.93	1975	30		2.54	691	
31	1	2.23	3.07	226	30	1.50	2.03	768	
32	1	_	2.27	253	30	_	1.55	874	
33	1	0.62	1.56	282	30	0.48	1.10	988	
34	1		0.98	325	30		0.70	0.0001108	
35	ì		0.46	366	30		0.32	1132	
Off-gas No									
Meas.	990				2,000				
Calc.	986				2,045				

Table 1b. Nitric Acid Absorption, Bubble Cap Column, 3.81 m dia.

Plate Spacing m on Plate Nos.	
0.305 1-21 0.457 22-23 0.610 24-25 0.914 26-30	
Feed Gas, kmol/s NO NO O 2 NO NO 2 NO NO 2	0.00394 0.0605 0.01856 (0.0276 addn on Pl. 4) 0.759 (0.1040 addn on Pl. 4)
Side Stream Acid, kg/s Pressure kPa Nitric Acid Rate, kg/s (as 100% acid)	4.46 (43.5% acid) on Pl. 12 936 10.05 (84% as 56.9% acid from Pl. 5 16% as 67% acid from Pl. 1)

(as 100% acid)			10 /b a:	sor he acid from F1. 1)			
Plate	Temp.	Aci	d, %	$Exp. H\sqrt{k4,5D}$			
No.	°C	Meas.	Calc.	kmol/m <sup>2</sup> · kPa · s			
1	30.3	67.0	67.0	0.00001542			
2	28.6		66.9	1542			
3	27.3		64.9	1542			
2 3 4 5	26.4	_	57.3	1542			
5	25.7	56.9	56.5	1542			
6	35.8		56.0	1542			
7	37.7	_	55.5	1542			
8	39.2		54.5	1542			
9	40.3	_	53.6	1542			
10	40.1		50.6	1566			
11	41.6	_	48.1	1590			
12	41.9		45.9	1638			
13	41.9	37.5	44.3	1686			
14	40.9		40.4	1758			
15	39.8	34.0	36.3	1782			
16	39		32.4	1831			
17	38.5	28.5	28.8	1879			
18	38.3	_	25.6	1975			
19	38.2	21.5	22.6	210			
20	38		20.0	212			
21	37.7		17.76	217			
22	37.6		15.75	226			
23	37.5	8.50	13.96	238			
24	37.2	_	12.24	248			
25	36.9	_	10.67	267			
26	36.4		9.14	296			
27	35.9	_	7.70	311			
28	36.2		6.53	325			
29	36.2		5.47	352			
30	35.9		4.47	395			
31	35.6		3.53	450			
32	36.2		2.64	508			
33	36.7	_	1.87	578			
34	36.8	_	1.17	641			
35	36.8	_	0.55	706			
Off-gas	NO <sub>x</sub> , ppmv						
Meas.	2,300						
A 1	0.1/7						

Sieve Plate

For 
$$W_{\text{HNO}_3} > 0.05$$

$$H_{N_2O_4} \sqrt{k4, 5D_{N_2O_4}} = \exp\left(-\frac{1,500}{T} - 2.7648\right)$$

$$-39.614W_{HNO_3} + 181.98W_{HNO_3}^2$$

$$-429.65W_{HNO_3}^3 + 496.99W_{HNO_3}^4$$

$$-223.24W_{HNO_3}^5, \text{ kmol/m}^2 \cdot \text{kPa} \cdot \text{s}$$

$$R_4^2 = 0.958 \tag{12}$$

For  $W_{HNO_3} < 0.05$ 

$$H_{N_2O_4} \sqrt{k4, 5D_{N_2O_4}} = \exp\left(-\frac{1,500}{T} + 0.2548\right)$$

$$-315.73W_{HNO_3} + 9256.2W_{HNO_3}^2$$

$$-95,602W_{HNO_3}^3, \text{ kmol/m}^2 \cdot \text{kPa} \cdot \text{s}$$

$$R_4^2 = 0.888$$
 (13)

 $R_A^2$  represents the fractional improvement of the correlation over use of a mean value for all experimental points. A value of 1.0 represents perfect correlation; zero, no improvement over the mean.

Plots of  $N_2O_4$  mass transfer coefficients calculated for 25°C are shown vs. acid strength in Figure 1. Below 20% acid strength, the coefficients for the two plate types diverge, becoming much higher for sieve as compared to bubble cap plate design. Characteristic liquid phase energy contents can be calculated on the plates using gas velocities and liquid density:

$$P/V = 0.00981 \ u_{gs} \ \rho_1, kW/m^3$$

where

$$P/V$$
 = power input per unit volume, kW/m<sup>3</sup>  
 $u_{gs}$  = gas slot velocity, m/s  
 $\rho_1$  = liquid density, kg/m<sup>3</sup>

Both superficial and slot velocities in the sieve and bubble cap test cases of Table 1 are roughly comparable, and energy contents calculated using these operating parameters do not differ appreciably. There is a physical problem, however, in the placement of caps with cooling coils on bubble cap trays. Because of the physical constraints, the distribution of gas injection points is less uniform and gas-liquid contacting less effective with bubble caps than with sieves. This difference has increasing importance as nitrogen oxides concentrations diminish to very low values.

It will also be noted in Table 1 for the sieve plate test data, that roughly the upper one-third of the columns operated with less than 1% acid strengths. Corresponding calculated gas phase  $NO_x$  concentrations are lower than 1,000 ppmv. It is possible that in this region, as suggested by Andrew and Hansen (1961), the controlling mass transfer mechanism shifts to direct absorption and reaction of  $NO_2$ .

Also shown in Figure 1 is the range of published dilute acid

Calc.

2,167

Table 1c. Nitric Acid Absorption, Sieve Tray Column, 3.05 m dia.

Feed Gas, kmol/s NO NO <sub>2</sub> O <sub>2</sub> N <sub>2</sub>				0.000229 0.01885 0.01188 0.1947			0.0001877 0.01861 0.01387 0.218			0.000226 0.01780 0.01110 0.200		
Pres Nitr	sure kP	Rate, k	-,	0.705 (34.5% acid 681 1.437	d) on Pl.	5	0.69 681 1.41		5	0.736 (34.4% acid) on Pl. 5 756 1.384		
Plate Temp. Acid, %		Exp. $H\sqrt{k4,5D}$	Temp.	Acid, %		Exp. $H\sqrt{k4,5D}$	Temp.	Acid, %		Exp. $H\sqrt{k4,5D}$		
No.	°C	Meas.	Calc.	kmol/m² · kPa · s	°C	Meas.	Calc.	kmol/m² · kPa · s	°C	Meas.	Calc.	$kmol/m^2 \cdot kPa \cdot s$
1	30.8	57.9	57.9	0.00000816	45.8	57.6	57.6	0.00000988	36.4	57.2	57.2	0.00000889
2	30.3	52.0	51.7	816	35.7	52.5	52.9	0.00001012	23.7	50.7	51.1	915
3	31.8		45.2	831	38.3		46.8	1084	25.0		43.5	0.00001012
4	33.2	39.4	39.2	860	40.9	41.0	41.1	1180	27.0	37.5	36.7	1180
5	33.8		34.3	915	41.8		36.2	1301	27.2		31.5	1349
6	34.5	30.0	30.6	0.00001012	42.7	33.0	32.3	1493	27.5	23.3	27.7	1469
7	33.7		22.5	1180	42.6		25.3	1758	25.0		16.81	205
8	32.9	18.14	18.04	1445	42.5	22.0	20.6	205	24.3	12.20	12.35	275
9	32.2		14.14	1831	42.3		16.60	253	23.0		9.01	381
10	30.6	11.05	11.05	238	41.8	14.20	13.34	337	21.5	6.40	6.63	535
11	29.9		8.60	366	41.4		10.63	450	20		4.92	718
12	29.9	6.83	6.58	535	40.7	9.26	8.44	619	17.6	3.44	3.70	0.0001060
13	29.1	_	5.04	804	40.4		6.68	860	17	_	2.77	1542
14	28.7	_	3.86	0.0001156	39.6		5.27	0.0001277	16		2.13	226
15	28.3	3.32	2.98	1686	38.7	5.05	4.12	1782	15.2	1.48	1.64	337
16	28.1	_	2.30	238	38.6		3.21	246	15.1	<del></del>	1.27	479
17	28		1.79	352	38.4		2.52	352	15	_	0.99	706
18	27.7	_	1.41	494	38	_	2.00	494	14.8		0.78	0.001060
19	27.4	_	1.10	706	37.7	1.40	1.56	706	14.5	0.42	0.60	1542
20	27.2	0.09	0.84	0.001060	37.3	1.49	1.19	959	14.1 14	0.42	0.46	219 311
21	27.2	_	0.62	1782	37.2		0.89	0.001277	13.9	_	0.35 0.26	438
22	27.3	_	0.45	246	37.2		0.65	1782 238	13.7		0.26	633
23	27.3		0.31	359 501	37.2	0.46	0.45		13.7	0.12		888
24 25	27.4 27.4	0.02	0.19 0.09	501 706	37.1 32.8	0.46	0.27 0.13	318 424	13.3	0.12	0.11 0.05	0.01204
			0.09	700	32.0	0.17	0.13	727	13.1		0.03	0.01204
	as NO <sub>x</sub> . 438	, ppmv			747				290			
Calc.					683				315			

 $N_2O_4$  mass transfer coefficients (Wendel and Pigford, 1958; Dekker et al., 1959; Kramers et al., 1961; Gerstacker, 1961; Corriveau, 1971; Kameoka, 1973); along with two higher acid strength values (Lefers and van der Berg, 1982). The plant  $H\sqrt{kD}$  data at comparable acid strengths are substantially higher than the literature values. A contributing factor to these differences was the omission in all the literature data analyses of a reverse driving force term for equilibrium liquid phase reaction. The back-reaction effect is particularly important if contact times are short and  $HNO_2$  decomposition incomplete. The Lefers data were obtained with 25 and 40% acid strengths. In this case, inclusion of the driving force limits not only would increase the  $H\sqrt{kD}$  values but also would moderate the sharp drop reported in the 25 to 40% concentration range.

Also, all the small-scale test work was done with nitrogen rather than air as the feed gas NO<sub>x</sub> diluent. Oxygen in the plant gases may contribute to enhanced N<sub>2</sub>O<sub>4</sub>, N<sub>2</sub>O<sub>3</sub>, and NO<sub>2</sub> mass transfer by liquid phase HNO<sub>2</sub> oxidation. A few comparative runs in the laboratory equipment with air rather than nitrogen as the carrier gas are needed to provide quantitative confirmation.

In addition, there are important phase contacting differences

between the laboratory and plant absorption units. The laboratory equipment was carefully chosen to present a quiescent, laminar film at the phase interface. In the plant units, gas is broken up in small bubbles and forced through the liquid. The increased liquid energy contents produced in plant contacting increase the effective diffusivities of the absorbed components, thereby further augmenting mass transfer.

Corriveau (1971) reports the value  $0.1569 \times 10^{-4}$  kmol/m<sup>2</sup> · kPa · s for  $H_{\rm N_2O_3}$   $\sqrt{k8}$ ,  $5D_{\rm N_2O_3}$  obtained in his test equipment at 25°C. His comparable value for  $H_{\rm N_2O_4}$   $\sqrt{k4}$ ,  $5D_{\rm N_2O_4}$  is  $0.562 \times 10^{-5}$  kmol/m<sup>2</sup> · kPa · s. If it is assumed that plant-scale mass transfer coefficients follow the ratio of Corriveau's values for N<sub>2</sub>O<sub>3</sub> relative to N<sub>2</sub>O<sub>4</sub>, then N<sub>2</sub>O<sub>3</sub> absorption performance can be calculated plate to plate for a typical column. This has been done for the second set of bubble cap performance data—Table 12, and the results plotted in Figure 2.

Figure 2 illustrates acid strength profiles typical in nitric acid absorption. Whereas, moving up through the column, nitric acid concentrations decrease plate to plate, nitrous acid increases to a maximum and then decreases. Nitrous acid levels persist to a point higher in the column at lower temperature, but disappear for all practical purposes below 25-30% HNO<sub>3</sub> acid strength.

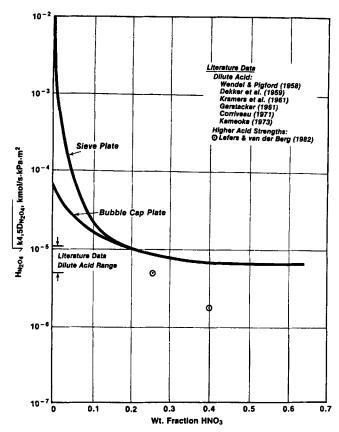


Figure 1. N₂O₄ mass transfer coefficients vs. nitric acid strength at 25°C.

This observation is the basis for the approach of Bolme (1977) and Bolme and Horton (1979) to off-gas  $NO_x$  reduction. Off-gas  $NO_x$  levels can be further reduced by contacting with 25–30% acid recirculated from the primary absorber. The additional  $NO_x$  picked up in this stream can be removed in a steam stripping, recompressed, and fed back to the primary column.

Steps 6 through 8 in the mechanism described previously are involved in this supplemental recovery operation. It should be noted, however, that  $H_{\rm N_2O_3}$   $\sqrt{k\,8}$ ,  $5D_{\rm N_2O_3}$  values higher by at least an order of magnitude than those obtained from the Corriveau (1971) ratio, are needed to explain the off-gas  $\rm NO_x$  reductions that are claimed possible. Here again, a liquid phase oxidation effect may be operative.

#### Conclusions

Mass transfer of  $N_2O_4$  is a primary rate-limiting consideration in aqueous nitric acid absorption. Plate efficiency, defined as the percentage approach of actual to equilibrium absorption, has been used in past performance evaluations. Use of a rate expression based on film or penetration theory with rapid liquid phase reaction can provide improved accuracy.

Mass transfer coefficients for N<sub>2</sub>O<sub>4</sub> have been obtained from plant-scale absorption data. These values were found to be strongly dependent on temperature and acid strength, and at acid strengths under 20% HNO<sub>3</sub> to be dependent on plate design. Sieve trays show better mass transfer performance then bubble caps in this acid concentration range. Cooling coils are needed on most absorption trays. The better distribution of gas

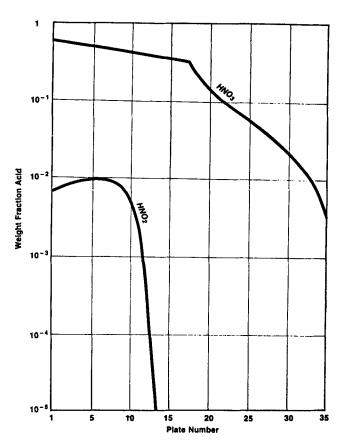


Figure 2. HNO<sub>3</sub> and HNO<sub>2</sub> weight fraction vs. plate number. Bubble cap column with 30°C cooling water

injection points possible with cooling coils on sieves provides the demonstrated advantage.

Plant mass transfer coefficients are higher than those reported in the small-scale laboratory tests. Omission of a reverse film reaction term in the laboratory data analyses—particularly for those tests involving higher nitric acid concentrations—contributes to the differences. The laboratory tests were run with nitrogen rather than air as a diluent feed gas. Mass transfer enhancement by liquid phase oxidation of HNO<sub>2</sub> for N<sub>2</sub>O<sub>4</sub>, N<sub>2</sub>O<sub>3</sub>, and at low gas phase NO<sub>x</sub> concentrations for NO<sub>2</sub>, may also have been a factor in the observed improvement in plant performance.

Finally, higher liquid phase energy contents resulting from gas-liquid contacting on the plant scale, produce further mass transfer advantages.

#### Notation

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A = interfacial area, m<sup>2</sup>

a = activity, kmol/m<sup>3</sup>

D = diffusivity, m<sup>2</sup>/s

d = column diameter, m

E = plate efficiency, %

H = Henry's law coefficient, kmol/m<sup>3</sup> · kPa

k1 = reaction rate constant for NO oxidation, kPa<sup>-2</sup>s<sup>-1</sup>

k4, 5 = reaction rate constant for N<sub>2</sub>O<sub>4</sub> hydrolysis, s<sup>-1</sup>

k8, 5 = reaction rate constant for N<sub>2</sub>O<sub>3</sub> hydrolysis, s<sup>-1</sup>

K0 = (p_{NO}/p_{NO_4}^{1.5}) \cdot (a_{HNO_3}^2/a_{H2O}), kPa<sup>-1/2</sup>

K1 = (p_{NO_2}/p_{NO_2}^2), kPa<sup>-2</sup>
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 $K2 = (p_{N_2O_4}/p_{NO_2}^2), kPa^{-1}$ 

 $K4, 5 = (p_{NO}/p_{NO_2}^3) \cdot (a_{HNO_3}^2/a_{H_2O}), (kmol/m^3 \cdot kPa^2)$ 

 $K4, 5a = (p_{NO}/p_{NO_2}^3), kPa^{-2}$ 

 $K6 = (P_{N_2O_3}/p_{NO} p_{NO_2}), kPa^{-1}$ 

 $K8 = (W_{\text{HNO}_2}^2/p_{\text{NO}} p_{\text{NO}_2}), \text{ kPa}^{-2}$ 

P = power input, kW

p = partial pressure, kPa  $R_A^2 = \text{multiple correlation coefficient}$ 

S = bubble cap slot or sieve hole submergence, m

T = temperature, K

 $u_s$  - superficial gas velocity, m/s

 $u_s$  = bubble cap slot or sieve hole velocity, m/s

 $V = \text{volume, m}^3$ 

W = weight fraction

 $\rho_I = \text{liquid density, kg/m}^3$ 

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